

Activity/Lesson:

Percent of Increase and Decrease

Example 1:

Activity/Lesson continued:

Activity/Lesson continued:

Method 2: Proportion

Method 3: Direct translation

50 is what percent of 625?



$$= \frac{\quad}{\quad}$$

$$50 = \frac{x}{100} \cdot \frac{625}{1}$$

$$50 = \frac{x \cdot 25 \cdot \cancel{25}}{4 \cdot \cancel{25}}$$

$$50 = \frac{x \cdot 25}{4}$$

$$4(50) = 4 \left(\frac{25 \cdot x}{4} \right)$$

$$200 = 25x$$

$$\frac{200}{25} = \frac{25x}{25}$$

$$8 = x$$

∴ 50 is 8% of 625, so the percent of increase is 8%

The percent of increase is 8%

Activity/Lesson continued:

You Try: A blouse cost \$40 originally. It was marked up to \$50. What was the percent of increase? Solve at least two different ways.

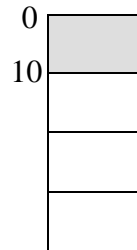
Solution:

The difference in the original and new amount is: $\$50 - \$40 = \$10$.

The original amount is \$40.

Question: \$10 is what percent of \$40?

Method 1: **Bar Diagrams**



\$10 is 25% of \$40, so the percent of increase is 25%.

Assessment:

Assessment solutions:

1) **Before** you solve problems A and B below, read the problems and answer the following question:

- How do you think the answers will compare? Why?

Students might think the percent of increase for A will be the same as the percent of decrease in B, since in A, the price goes up from \$20 to \$25 and in B, the price goes down from \$25 to \$20. You might have the students share their thoughts with the class on this before they solve the problems.

A) Last year, Ace Jeans cost \$20 a pair at BJ's Department Store. This year, Ace Jeans cost \$25 a pair. Find the percent of increase. (Use at least two different approaches.)

The percent of increase is 25%. Check to see that students used at least two different approaches.

B) Last week, BJ's put the \$25 jeans on sale for \$20. Find the percent of decrease. (Use at least two different approaches.)

The percent of decrease is 20%. Check to see that students used at least two different approaches.

2) How do your answers for #1 and #2 compare? Show/explain why this is true.

The percent of increase is greater than the % of decrease. This happens because you are dividing the same numerator by 2 different numbers. For the percent of increase, you are dividing by a smaller number than for the percent of decrease.

= the larger amount

= the smaller amount

% of increase = $\frac{\quad}{\quad}$

% of decrease = $\frac{\quad}{\quad}$

$\frac{\quad}{\quad} > \frac{\quad}{\quad}$

Assessment solutions continued:

The next day, have students share their responses to this assessment. You can have students explore finding the decimal equivalents of fractions with the same numerator and different denominators.

$$\frac{5}{1} = 5$$

$$\frac{5}{2} = 2.5$$

$$\frac{5}{3} = 1.\bar{6}$$

$$\frac{5}{4} = 1.25$$

$$\frac{5}{5} = 1$$

$$\frac{5}{6} = 0.8\bar{3}$$

Notice that